

NUMERICALS

Q 198. A hold of length 8m x breadth 6m x height 4m to be filled with steel pipes (SF $1.06\text{m}^3/\text{t}$) and paint drums (S.F $1.85\text{m}^3/\text{t}$). If the load density of the tank top is 3.20 t/m^2 , upto what height should the steel be loaded so that the hold is filled without exceeding load density. How many tonnes of steel pipes and paint drums can be loaded.

Solution : Actual Volume of the hold = $L \times B \times H = 8 \times 6 \times 4$
 $= 192\text{ m}^3$

Load density = 3.20 t/m^2 (Given)

Total quantity of Cargo which can be loaded = Area x Load density
 $= 8 \times 6 \times 3.20$
 $= 153.6\text{ t}$

Now, Let us suppose quantity of steel pipe = x tonne

And quantity of paint drum = y tonne

$$Xt + Yt = 153.6\text{t}$$

$$X + Y = 153.6 \text{ ----- (1)}$$

$$1.06x + 1.85y = 192 \text{ ----- (2)}$$

$$x + y = 153.60 \quad \times 1.06$$

$$1.06x + 1.06y = 162.816 \text{ ----- (3)}$$



Anglo-Eastern Maritime Training Centre
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Cargo Handling and Stowage

Chp: CHS-1 Date: 10.05.2015 Revision: 0 Prep: AS Appr: KND Page 120

$$\begin{aligned}1.06x + 1.06y &= 162.816 \\ -1.06x + 1.85y &= 192.00 \\ 0.79y &= 29.184\end{aligned}$$

$$\begin{aligned}Y &= 29.184 / 0.79 \\ &= 36.94t\end{aligned}$$

$$\begin{aligned}\text{Paint Drum} &= 36.94t \\ \text{Steel} &= 153.6 - 36.94 \\ &= 116.66\end{aligned}$$

$$\begin{aligned}\text{Height of Steel} &= \frac{\text{Volume of Steel Cargo}}{\text{Area of Hold}} \\ &= \frac{\text{Quantity} \times \text{S.F.}}{\text{Area}} \\ &= \frac{116.66 \times 1.06}{8 \times 6} \\ &= 2.57m \\ \text{Height of steel pipe} &= 2.57m\end{aligned}$$

Q 199. A tween deck 9m x 6m x 4m has a permissible load density of 3.10 t/m². Steel tubes (S.F 1.05m³ /t) and lub oil drums (S.F 1.85 m³ /t) are to be loaded in the hold to fill all available space. Find maximum quantity of steel tubes and drums that can be loaded without exceeding load density?

Solution :

$$\begin{aligned}\text{Actual Volume of hold} &= L \times B \times H \\ &= 9 \times 6 \times 4 \\ &= 216m^3\end{aligned}$$

$$\text{Load Density} = 3.10 \text{ t/m}^2 \text{ (Given)}$$

$$\begin{aligned}\text{Total quantity of Cargo which can be loaded} &= \text{Area} \times \text{Load density} \\ &= (9 \times 6) \times (3.10) \\ &= 167.4t\end{aligned}$$

Let us suppose quantity of steel tubes = x tonne &

Quantity of lub oil drums = y tonne .

$$Xt + Yt = 167.4t$$

$$X + Y = 167.4 \dots\dots (1)$$

$$1.05x + 1.85y = 216 \dots\dots (2)$$

$$x + y = 167.4 \quad \times 1.05$$

$$1.05x + 1.05y = 175.77 \dots\dots (3)$$

$$1.05x + 1.05y = 175.77$$

$$-1.05x + 1.85y = 216.00$$

$$0.8y = 40.23$$

$$Y = 40.23 / 0.8$$

$$= 50.287 t$$

$$\text{Lub oil drums} = 50.287 t$$

$$\text{Steel tubes} = 167.4 - 50.287$$

$$= 117.1125 t$$

Q 200.

A hold 12m x 12m x 7m is to be loaded with steel pipes (S.F 1.06 Cubic meter/t) and wire rod coils (S.F 1.85 cubic meter/t). If the load density of the tank top is 5.0 t/square meter.

Calculate

- a. How many tones of each can be loaded?
b. The height of both types of cargo?

Solution :

Actual volume of hold = L x B x H

$$= 12 \times 12 \times 7$$

$$= 1008 \text{ Cu.m}$$

Load density = 502 t/m² (given)

Total quantity of cargo which can be loaded = Area x Load density

$$= (12 \times 12) \times (5.0)$$

$$= 720 \text{t}$$

Let us suppose quantity of steel pipe = x tonne &

Quantity of wire rod coils = y tones

$$x + y = 720 \text{t}$$

$$x + y = 720 \dots\dots (1)$$

$$1.06x + 1.85y = 1008 \dots\dots (2)$$

$$x + y = 720 \quad \times 1.06$$

$$1.06x + 1.06y = 763.2$$

$$-1.06x + 1.85y = 1008.00$$

$$0.79y = 244.8$$

$$Y = 244.8 / 0.79$$

$$= 309.87 \text{t}$$

$$\text{Wire rod coils} = 309.87 \text{ t}$$

$$\text{Steel pipe} = 720 - 309.87$$

$$= 410.13 \text{t}$$

$$\text{Height of wire rod coils} = \frac{\text{Volume of wire rod coils}}{\text{Area of hold}}$$

$$= \text{Quantity of wire rod} \times \text{S.F} / L \times B$$

$$= 309.87 \times 1.85 / 12 \times 12$$

$$= 3.998 \text{ meter}$$

$$\text{Height of steel pipe} = \text{Quantity of steel pipe} \times \text{S.F} / L \times B$$

$$= 410.13 \times 1.06 / 12 \times 12$$

$$= 3.019 \text{ meter}$$

Q 201.

A Cargo hold 22m x 15m x 12m of bale capacity 3900 cu.m and load density 5 t/m² is to be filled so as to maximize the freight. The Cargo available is

Steel billets S.F : 0.7 cu.m/tonne freight = \$30/-per

Cotton bales S.F : 2.8 cu.m /tonne freight = \$50/-per

How much of each cargo will you load and what is the freight earned?

Solution :

Actual Volume of hold = L x B x H

$$= 22 \times 15 \times 12$$

$$= 3960 \text{ m}^3$$

Load density = 5 t /m² (given)



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Cargo Handling and Stowage

Chp: CHS-1 Date: 10.05.2015 Revision: 0 Prep: AB Appr: KND Page 122

Total quantity of cargo which can load = Area x Load density
 $= (22 \times 15) \times (5)$
 $= 1650 \text{ t}$

Let us suppose quantity of steel billets = x tonne

Quantity of cotton bales = y tonne

$$x + y = 1650 \text{ t}$$

$$x + y = 1650 \dots\dots (1)$$

$$0.7x + 2.8y = 3960 \dots\dots (2)$$

$$x + y = 1650 \quad \times 0.7$$

$$0.7x + 0.7y = 1155 \text{ ----- } (3)$$

$$0.7x + 0.7y = 1155$$

$$-0.7x + 2.8y = 3960$$

$$2.1y = 2805$$

$$Y = 2805 / 2.1$$

$$= 1335.71 \text{ t}$$

$$\text{Cotton bales} = 1335.71 \text{ t}$$

$$\text{Steel billets} = 1650 - 1335.71$$

$$= 314.28 \text{ t}$$

$$\text{Steel billets} \rightarrow 314.28 \times 30 = \$9428.5$$

$$\text{Cotton Bales} \rightarrow 1335.71 \times 50 = \$66785.5$$

Q 202. A general cargo vessel with a summer draft of 5.5m has a hold with following dimensions L = 40m, B = 20m, H = 8m. Calculate maximum cargo of S.F 0.5 m/t that the hold can load if :

- The cargo is trimmed level
- Max height of pile when trimmed

load density = 0.9

Solution :

Summer draft = 5.5m

Untrimmed \rightarrow

$$\begin{aligned} \text{Maximum concentrate that can be load} &= 0.9 \times l \times b \times 5.5\text{m} \\ &= 0.9 \times 40 \times 20 \times 5.5 \\ &= 3960 \text{ t} \end{aligned}$$

Trimmed \rightarrow

$$\begin{aligned} \text{Maximum concentrate that can be load} &= (0.9 \times L \times B \times 5.5) + 20\% \\ &= 3960 + 20\% = 4752 \text{ t} \end{aligned}$$

$$\begin{aligned} \text{Maximum height of pile} &= \text{quantity of Cargo} \times \text{S.F} / \text{Area of hold} \\ &= 4752 \times 0.5 \end{aligned}$$

$$40 \times 20$$

$$= 2.97 \text{ meter}$$

Q 203. A hold of general cargo ship measures L = 20m, b = 15m, h = 9.05m. Dunnage consist of a layer of dunnage 5cms high and side battens extend 0.2m from ship side. It contains a cargo of 50 machinery cases of 1.5m x 1.3m x 2.0m showed with a B.S of 20% - 200% of cotton bales S.F= 2.5m/t and B.S= 10%. Find weight of jute bales (B.S. 0%) S.F 1.6m/t can be loaded in remaining space.

1m

200t

Solution :

Volume of hold = $L \times B \times H$

$$= 20 \times 14.6 \times 9$$

$$= 2628 \text{ m}^3$$

Machinery Space \rightarrow

Total volume occupied by machinery space = $(l \times b \times h) \times 50 + B.S$

$$= (1.5 \times 1.3 \times 2.0) \times 50 + 20\%$$

$$= 195 + 39$$

$$= 234 \text{ m}^3$$

Cotton Bales \rightarrow

Total volume occupied by cotton bales = Weight of Cotton bales \times S.F + B.S

$$= 200 \times 2.5 + 10\%$$

$$= 500 + 50$$

$$= 550 \text{ m}^3$$

Total Volume occupied by machinery space & cotton bales

$$= 234 + 550 = 784 \text{ m}^3$$

Total Volume Available = Total Volume - Occupied volume

$$= 2628 - 784$$

$$= 1844 \text{ m}^3$$

Jute Bales \rightarrow

Weight of jute bale that can be loaded = Volume hold / S.F

$$= 1844 / 1.6$$

$$= 1152.5 \text{ t}$$

Q 204.

Hold No.1 ($L = 14\text{m}$, $B = 9\text{m}$) and Hold No. ($L = 17.5\text{m}$, $B = 10.5\text{m}$) are available to load coal ($S = 1.23 \text{ m}^3/\text{t}$) and iron are ($S.F = 0.38 \text{ m}^3/\text{t}$) on a bulk carrier whose summer draft is 12.8m . Find out how much of each cargo you would be able to load in both holds separately and the maximum height of the cargo if:

- The cargos were loaded without trimming
- The cargos was trimmed
- The holds had a sharp tunnel passing through them.
- The cargo was loaded and trimmed in a hold containing a shaft tunnel. State what restrictions given in . The code could prevent you from loading the full amount of iron are as calculated.

Solution :

Hold No.1 \rightarrow Untrimmed

Maximum Coal that can be load = $0.9 \times L \times B \times$ Summer draft

$$= 0.9 \times 14 \times 9 \times 12.8$$

$$= 1451.52 \text{ t}$$

Maximum Iron Ore that can be load = $0.9 \times L \times B \times$ Summer draft

$$= 0.9 \times 14 \times 9 \times 12.8$$

$$= 1451.52 \text{ t}$$

HOT
Q 205.

A gun tackle used to advantage and a luff tackle used to disadvantage are used in combination to lift a load of 4 tons. The load is supported from the gun tackle. Calculate:

- The effort required to lift the load
- The efficiency of the system
- The minimum size of nylon rope to be used on each tackle.

Solution :

Gun Tackle →

$$W = 4t, n = 2, VR = 2+1=3 \text{ (advantage)}$$

$$\%F = 10\%, FS = 6$$

$$\text{Effort} = W + MW \times F\% / VR$$

$$= (4) + (2 \times 4) \times 10\% / 3$$

$$= 4 + 0.8 / 3$$

$$= 1.6 t$$

1.6 t effort of the gun tackle, Now became load for luff tackle

Luff Tackle →

$$W = 1.6 t, n = 3, VR = 3 \text{ (disadvantage)}$$

$$\%F = 10\%, FS = 6$$

$$\text{Effort} = w + nw \times F\% / VR$$

$$(1.6) + (3 \times 1.6) \times 10\% / 3$$

$$1.6 + 0.448 / 3 = 0.6933 t$$

$$\text{Effort required to lift the load} = 0.6933 t$$

i. Efficiency of system

$$M.A = \text{Load} / \text{Effort}$$

$$= 4 / 0.6933$$

$$= 5.7695$$

V.R can be taken as the product of the V.R of each

$$V.R = 3 \times 3 = 9$$

$$\text{Efficiency} = M.A / VR \times 100$$

$$= 5.7695 / 9 \times 100$$

$$= 64.10\%$$

ii. Breaking Stress = SWL x FS

$$= 0.6933 \times 6$$

$$= 4.1598$$

$$B.S \text{ of Nylon Rope} = 5D^2 / 300$$

$$D = 15.79 \text{ i.e } 16 \text{ mm}$$

Q 206. A simple derrick is fitted with a 6 x 24 wire rope of 28mm diameter. The chain register specifies a safety factor of 7. Calculate:

- The maximum load that can be safely lifted by this derrick.
- In case two of these derricks used as union purchase, then what will be the safe working load of the system and what are the precautions to be observed?

Solution :

i. Wire rope = 6 x 24 → 28mm

$$FS = 7$$

$$\%F = 10$$

$$\begin{aligned}
 \text{B.S of 6 x 24 wire} &= 20D^2 / 500 \\
 &= 20 \times 28^2 / 500 \\
 &= 31.36 \\
 \text{B.S} &= \text{swl} \times \text{F.S} \\
 31.36 &= \text{swl} \times 7 \\
 \text{Swl} &= 31.36 / 7 \\
 &= 4.48 \text{ t}
 \end{aligned}$$

Q 207. A weight of 12 tonnes is to be lifted by a two fold purchase rigged to advantage. The holding part of this purchase is attached to the single sheave block of a luff tackle. Find the size of nylon rope, which has to be used for each purchase and the efficiency of the system (Assume VR of the system to be the product of individuals VRS, Friction 8%, per sheave and factor of safety 6)

Solution :

Two Fold Purchase →

$$w = 12\text{t}, n = 4, \text{VR} = 4 + 1 = 5 \text{ (advantage)}$$

$$F = 8\%, \text{FS} = 6$$

$$\text{Effort} = w + nw \times F\% / \text{VR}$$

$$= (12) + (4 \times 12) \times 8\% / 5$$

$$= 12 + 3.84 / 5$$

$$= 3.168 \text{ t}$$

3.168 t effort of two fold purchase is now become a load for luff tackle.

Luff Tackle →

$$W = 3.168\text{t}, n = 3, \text{VR} = 3 \text{ (disadvantage)}$$

$$F = 8\%, \text{FS} = 6$$

$$\text{Effort} = w + nw \times F\% / \text{VR}$$

$$= (3.168) + (3 \times 3.168) \times 8\% / 3$$

$$= 3.168 + 0.76032 / 3$$

$$= 1.30944 \text{ t}$$

$$\text{M.A} = \text{Load} / \text{Effort}$$

$$= 12 / 1.30944$$

$$= 9.1642$$

$$\text{Efficiency} = \text{MA} / \text{VR} \times 100$$

VR can be taken as product of the VR of each

$$\text{VR} = 5 \times 3 = 15$$

$$\text{Efficiency} = 9.1642 / 15 \times 100$$

$$= 61.09\%$$

$$\text{Efficiency of System} = 61.09\%$$

Luff Tackle →

$$\text{Breaking Stress} = \text{Effort} \times \text{FS}$$

$$= 1.30944 \times 6$$

$$= 7.85664$$

$$\text{B.S of Nylon Rope} = 5D^2 / 300$$

$$7.85664 = 5D^2 / 300$$

$$D = 21.71$$

$$D = 22 \text{ mm}$$

Two Fold Purchase →

$$\text{B.S} = \text{Effort} \times \text{FS}$$

$$= 3.168 \times 6$$

$$= 19.008$$

$$\text{B.S of Nylon rope} = 5D^2 / 300$$

$$19.008 = 5D^2 / 300$$

$$D = 33.7 \text{ mm}$$

- Q 208.** A three fold purchase is used to advantage to lift a weight of 2 t. If 6 x 37 size rope is used Find the stress on the hauling part and also minimum size of the rope. (Assume friction to be 10% per sheave, Factor of safety as 5).

Solution :

$$w = 2\text{t}, n = 6, \text{VR} = 6 + 1 = 7 \text{ (advantage)}$$

$$\%F = 10\%, F = 5$$

$$\text{Effort} = w + nw \times F\% / 7$$

$$= 2 + 1.2 / 7$$

$$= 0.4571 \text{ t}$$

$$\text{MA} = \text{Load} / \text{Effort}$$

$$= 2 / 0.4571$$

$$= 4.375$$

$$\text{Efficiency} = \text{MA} / \text{VR} \times 100$$

$$= 4.375 / 7 \times 100$$

$$= 62.5$$

$$\text{B.S} = \text{Effort} \times \text{FS}$$

$$= 0.4571 \times 5$$

$$= 2.2855$$

$$\text{BS of 6x37 Wire Rope} = 21D^2 / 500$$

$$2.2855 = 21D^2 / 500$$

$$D = 7.37 \text{ i.e. } 8 \text{ mm}$$

- Q 209.** A simple derrick is used to lift a load of 8 tonnes means of gyn tackle used to disadvantage. If the wire is 6x24. What should be its size?

Solution :

$$w = 8\text{t}, n = 5, \text{VR} = 5 \text{ (disadvantage)}$$

$$\text{FS} = 6, F\% = 10\%$$

$$\text{Effort} = w + nw \times F\% / \text{VR}$$

$$= (8) + (5 \times 8) \times 10\% / 5$$

$$= 2.4 \text{ t}$$

$$\text{B.S} = \text{Effort} \times \text{F.s}$$

$$= 2.4 \times 6$$

$$= 14.4$$

$$\text{B.S of 6x24 Wire} = 20D^2 / 500$$

$$14.4 = 20D^2 / 500$$

$$D = 18.97$$

$$D = 19 \text{ mm}$$



Anglo-Eastern Maritime Training Centre
Second Mate (F.G.)
Cargo Handling and Stowage

Chp: CHS-1

Date: 10.05.2015

Revision: 0

Prep: AS

Appr: KND

Page 127

Q 210. A two fold purchase rigged to disadvantage is received with a nylon rope so as to safely lift a weight of 6t using '6' as the factor of safety. How much extra load can it safely lift when used to advantage using 4 as the factor of safety?

Solution :

$w = 6t, n = 4, VR = 4$ (disadvantage)

$FS = 6, F\% = 10\%$

$Effort = w + nw \times F\% / VR$

$= 6 + (4 \times 6) \times 10\% / 4$

$= 2.1 t$

$B.S = Effort \times F.S$

$= 2.1 \times 6$

$= 12.6$

$B.S \text{ Nylon} = 5D^2 / 300$

$12.6 \times 300 / 5$

$= 28 \text{ mm}$

$N = 4, VR = 4 + 1 = 5, FS = 4$

$B.s = 5D^2 / 300$

$= 5 \times 756 / 300$

$= 12.6 t$

$B.S = Effort \times F.S$

$12.6 = Effort \times 4$

$Effort = 12.6 / 4$

$= 3.15 t$

$Effort = w + nw \times f / VR$

$3.15 = w + 4w \times 0.1 / 5$

$15.75 = 1.4w$

$W = 15.75 / 1.4$

$= 11.25 t$

$11.25 - 6 = 5.25 t$

5.25 tons extra load safely lift.

not Required

Q 211. A Steel girder weighing 7t is to be lifted by a single derrick using a gun tackle to advantage. A block at the derrick head leads the wire down to the winch. Find the minimum size of 6x37 wire to be used as the runner wire?

Solution :

$W = 7t, n = 2, VR = 2 + 1$ (advantage)

$FS = 6, F\% = 10\%$

Gun Tackle \rightarrow

$Effort = w + nw \times F\% / VR$

$= 7 + (2 \times 7) \times 10\% / 3$

$= 7 + 1.4 / 3$

$= 2.8 t$

Effort of gun tackle now becomes load for lead block

Lead Block \rightarrow

$W = 2.8 t, n = 1, VR = 1$ (disadvantage)

$FS = 6, F\% = 10\%$

$Effort = w + nw \times F\% / VR$

$$FS = 6, F\% = 10\%$$

$$\text{Effort} = w + nw \times F\% / VR$$

$$= 10 + (4 \times 10 \times 0.1) / 4$$

$$= 3.5 \text{ t}$$

This effort is now become a load to gun tackle

$$W = 3.5 \text{ t}, n = 2, VR = 2 + 1 = 3 \text{ (advantage)}$$

$$FS = 6, F\% = 10\%$$

$$\text{Effort} = w + nw \times F\% / VR$$

$$= 3.5 + (2 \times 3.5 \times 0.1) / 3$$

$$= 1.4 \text{ t}$$

$$\text{Effort Required to lift the load} = 1.4 \text{ t}$$

$$b. \quad Ma = \text{initial load} / \text{total effort}$$

$$= 10 / 1.4$$

$$= 7.142$$

$$\text{Efficiency of system} = MA / VR \times 100$$

$$= 7.142 / 4 \times 3$$

$$= 59.52 \%$$

$$c. \quad B.S = \text{Effort} \times FS$$

$$= 3.5 \times 6$$

$$= 21 \text{ t}$$

$$BS \text{ for Nylon Rope} = 5D^2 / 300$$

$$21 \times 300 = 5D^2$$

$$D = 35.49 \text{ mm}$$

$$D = 36 \text{ mm}$$

Q 214. The hauling part of a ~~gun~~ ^{gun} tackle is attached to the moving block of a ~~width~~ ^{watch} tackle. Calculate the percentage efficiency of the system when a 24t weight is being lifted. Both tackles are rigged to advantage and the friction per sheave is estimated of 5% of the load.

Solution :

$$W = 24 \text{ t}, F\% = 5\%$$

Gun Tackle →

$$N = 5, VR = 5 + 1 = 6 \text{ (advantage)}$$

$$F\% = 5\%, FS = 6, w = 24 \text{ t}$$

$$\text{Effort} = w + nw \times F\% / VR$$

$$= 24 + (5 \times 24 \times 0.05) / 6$$

$$= 5 \text{ t}$$

Effort is now become a load for watch tackle

Luff Tackle or Watch Tackle

$$W = 5 \text{ t}, n = 3, VR = 3 + 1 = 4 \text{ (advantage)}$$

$$F\% = 5\%$$

$$\text{Effort} = w + nw \times F\% / VR$$

$$5 + (3 \times 5 \times 0.05) / 4$$

$$= 1.433$$

$$MA = \text{Load} / \text{Effort}$$

$$= 24 / 1.4375$$

$$= 16.69$$

$$\text{Efficiency} = MA / \text{Product of VR}$$

$$= 16.69 / 4 \times 6 \times 100$$



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Chp. CHS-1 Date: 10.05.2015 Revision: 0 Prep: AS Appr: KND Page 130

- Q 215. A derrick 15m long has its heel 2.4m above the deck span 9 m in length is attached to the derrick head and the mast 12m above deck. A weight of 15t is being lifted by a four fold purchase, the holding part of which leads along the derrick hence through a heel block to the winch. Find the thrust on the derrick boom and the tension in the span wire. Friction taken as 10% per sheave.

Solution :

$$W = 15t, n = 8, VR = 8+1=9 \text{ (Advantage)} F = 10\%$$

$$\text{Effort} = \frac{W + nW \times F\%}{VR}$$

$$= \frac{15 + (8 \times 15 \times 10\%)}{9}$$

$$= 3t$$

$$\text{Tension on Span wire} = 14.1t$$

- out of Position*
- Q 216. A 10m long heterogeneous steel beam weighing 6t is to be lifted using two slings of identical wire type, lengths of slings being 6m and 8m. A weight of 1 ton is placed at a distance of 3m from one end. Find tension in the sling, and minimum size of the wire rope required for each sling. Also find the angle that the beam will make with horizontal. (Construction of wire 6x24, factor of safety = 5)

Solution :

$$BE \times 1 + BD \times 6 = \text{Resultant dist} \times 7$$

$$3 \times 1 + 5 \times 6 = X \times 7$$

$$3 + 30 = X \times 7$$

$$33/7 = x$$

$$X = 4.71m$$

$$\text{Tension on } T1 = 5.4t$$

$$\text{Tension on } T2 = 4.6t$$

For T1,

$$BS = swl \times FS$$

$$= 5.4 \times 5$$

$$= 27t$$

$$BS \text{ of } 6 \times 24 = 20D^2 / 500$$

$$D = 25.98$$

$$D = 26mm$$

For T2,

$$BS = swl \times fs$$

$$= 4.6 \times 5$$

$$= 23t$$

$$BS \text{ of } 6 \times 24 = 20D^2 / 500$$

$$23 = 20D^2 / 500$$

$$D = 23.97$$

$$D = 24mm$$



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Second Mate (F.G.)
Cargo Handling and Stowage

Chp: CHS-1

Date: 10.05.2015

Revision: 0

Prep: AS

Appr: KND

Page 131

- Q 217.** A beam 10m in length and weighing 6t is to be lifted by a two legged sling made of 6x37 const. FSWR, one leg of the sling is 6 meter long and the other is 7 meter long. What is the size of wire will be required if the factor of safety is 6?

Solution :

Tension on T1 = 4.3t

Tension on T3 = 5.1t

BS = swl x FS

= 5.1 x 6

= 30.6

BS of 6x37 wire = $21D^2 / 500$

$30.6 = 21D^2 / 500$

D = 26.99

D = 27 mm